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#### Abstract

This paper analyzes the change in the Austrian business cycle over time using data back to 1954. The change in the cyclical pattern is captured using a nonlinear univariate structural time series model where the time of the break point is estimated. Results for GDP series suggest a break in the frequency of the cycle and in the parameter covering the variance of the disturbances of the cycle taking place in the mid 70 s and early 80 s, respectively. Using data for GDP components a break in these variables is found too, but the timing of the break differs among the series. In a further step the paper assesses the relevance of these findings for forecasting purposes. It is shown that during certain periods the out-of-sample forecasting performance of GDP does improve when a break in one of the two parameters is explicitly modeled.


Keywords Structural time series models, Business cycles, Forecasting performance
JEL classification C51, C53, E32

[^0]
## 1 Introduction

Since the mid-1980s cyclical fluctuations in the United States tend to be less pronounced compared to the decades earlier. This observation is referred to as the Great Moderation and has been heavily investigated by the empirical literature. The first studies reporting the decline in macroeconomic volatility of US time series comprise Kim \& Nelson (1999), McConnell \& Perez-Quiros (2000), Blanchard \& Simon (2001) and Stock \& Watson (2002), where the change was either reported to be a trend decline (Blanchard \& Simon 2001, Stock \& Watson 2002) or a discrete step reduction (Kim \& Nelson 1999, McConnell \& Perez-Quiros 2000). Blanchard \& Simon (2001) show that this steady decline was interrupted in the 1970s and early 1980s and returned back to the trend line in the late 1980s and 1990s. The most common way to measure macroeconomic volatility in the literature is using the standard deviation of an output gap, the cyclical component of the GDP series or of the changes in GDP itself. Creal et al. (2008) introduce stochastically time-varying variances of the cyclical and the irregular component in a multivariate structural time series model to capture the Great Moderation in US time series. Besides dynamics in the volatility of the common cycle, they report changes in the volatility of the irregular components.

In Europe and other non European OECD countries cyclical fluctuations have became more damped, too (Dalsgaard et al. 2002, Barrell \& Gottschalk 2004, European Commission 2007, Malgarini 2007, Barrell et al. 2009, Bodman 2009). For Germany Buch et al. (2004) and Aßmann et al. (2009) give evidence of a downward trend in output volatility. Also for Austria some empirical literature on the decline in macroeconomic volatility exits, but so far no explicit timing of the regime shift was observed. Hahn \& Walterskirchen (1992) use a quarterly data set spanning 1960-1992. Comparing the standard deviation of the cyclical GDP component over three time periods, they reported a higher variation in the period 19741982 compared to the periods 1960-1973 and 1983-1992. Leitner (2007) divide the total time series of 1970-2004 into two parts. Using the standard deviation of real GDP growth and its expenditure components, she found for most series a higher volatility in the subperiod 1970-1983 compared to the subperiod 1983-2004. Similarly, the European Commission (2007) reports a sharp decrease in the standard deviation of year-on-year GDP growth rates since the end of the 1970s.

While there is general evidence that the volatility (or the amplitude) of the business cycle has decreased over time, there is not much evidence regarding the duration (or the frequency) of the cycle. From observed changes in the persistence of output gaps (measured using the first order auto-correlation) Dalsgaard et al. (2002) suggest an increase in the duration of the business cycle in certain countries (Australia, Austria, Canada, France, New Zealand, Norway, Sweden and United Kingdom), while the persistence of the cycle has been found more or less unchanged in the Euro Area (aggregate), Italy, Japan, Spain and the United States. Using a multivariate time series model and dividing the US data set in two subperiods, Creal et al. (2008) noted a decrease in the frequency parameter (increase in the average period between business cycles) in the sample after the year 1984.

Economic moderation has been stopped abruptly by the end of 2008, but there is still the question if it will continue after the phase-out of the global recession. Even if much more pronounced, this would be a break similar to that reported by Blanchard \& Simon (2001) in the 1970s and early 1980s. The answer to that question depends on the reason of the decline in volatility beforehand, which is still not clear. The literature refers to many reasons for the
change in the volatility of macroeconomic time series. They cover good policy, good luck and good practices. The first point usually refers to improvements in monetary policy (Clarida et al. 2000), the second stresses good luck in terms of smaller and fewer shocks (Stock \& Watson 2002), while the third regards changes in the economic structure like sectoral shifts (Buch et al. 2004), globalisation and openness to trade (Buch 2002, Cavallo \& Frankel 2008), technological developments (Arias et al. 2007), inventory management (Kahn et al. 2002, Irvine \& Schuh 2005), demographic changes (Jaimovich \& Siu 2009) or financial openness and innovations (Buch et al. 2005, Dynan et al. 2006) as the main factors for the reduced cyclical volatility. Especially the latter were recently discussed in the course of the financial crisis and the global recession starting at the end of 2008. On the one hand, financial innovations have lessened macroeconomic volatility, but on the other hand, they make financial crises much larger and more severe (Hahn 2008).

In this paper the potential change in the cyclical pattern in Austria is captured using a nonlinear univariate structural time series model. In the first place, the linear model following Harvey (1989) and Harvey \& Trimbur (2003) is extended to allow for a break in the frequency of the cycle and in the parameter covering the variance of the disturbances of the cycle. Results for GDP suggest a longer average duration of the cycle after the mid 70s and a decrease in the amplidute in the early 80s. Using series of GDP components (private consumption, investment in machinery and equipment, construction investment, total exports and total imports) these results were found too, but the timing of the break differs both, among the components, and compared to GDP. Secondly, I assess the relevance of these findings for forecasting GDP. It can be shown that the nonlinear models outperform the linear models during certain periods, but not globally.

The outline of the paper is as follows: Section 2 describes the used data set, section 3 shows the model specifications of the standard model following Harvey (1989) and Harvey \& Trimbur (2003) as well as two nonlinear extensions to decompose the time series into its structural components and to determine the break point of a regime switch. Section 4 and 5 give the results for Austrian GDP and its components, respectively. Section 6 evaluates the forecast performance of the nonlinear models using GDP series, section 7 concludes.

## 2 Data Description

I use quarterly seasonally adjusted data for Austria for the period 1954Q1-2009Q3 ${ }^{1}$. Following Scheiblecker (2008) different data sets - all taken from the WIFO database - were used to construct one consistent quarterly time series starting 1954Q1. The most recent quarterly national accounts data going back to 1988Q1 were used (publication date November 2009). Their respective corresponding annual figures go back until 1976, with both, annual and quarterly figures measured in chained values with the year 2005 as reference year. For the time period before 1988 quarterly data are chained back using national accounts data of earlier releases: annual national accounts GNP series (1954-1978), annual national accounts data according to SNA 68 definition in 1976 prices (1964-1988), quarterly GNP series (1954Q1-1978Q4), quarterly national accounts data according to SNA 68 definition in 1976 prices (1964Q1-1989Q1) and quarterly national accounts data according to ESVG 79 definition measured in 1983 prices (1976Q1-1999Q3). First, the actual annual figures covering 1976-2008 were chained back to

[^1]receive one annual time series ranging from 1954-2008. Second, to obtain the quarterly pattern from 1954Q1-1987Q4 the Chow \& Lin (1971) method of temporal disaggregation was used, with the chained national accounts data of the former releases being the indicator series. Thus, quarterly series summing up to the chained back annual figures are produced. Besides GDP, the constructed data set contains the following expenditure side GDP components: private consumption, investment in machinery and equipment, construction investment, total exports and total imports.

The quarter-on-quarter GDP growth rates (Figure 1) reveal a high cyclical volatility in the first part of the series (especially well pronounced at times of the oil price shocks in the 1970s), which is followed by a smoother cyclical pattern in the second part of the time series. The standard deviation of the growth rates is reduced from 0.013 (1954Q1-1979Q4) to 0.009 (1980Q1-2009Q3). A similar pattern exists in the components of GDP. Table 1 shows the evolution of the standard deviation of the quarter-on-quarter growth rates of GDP and its components over time.


Figure 1: Quarter-on-quarter GDP growth rates, 1954Q1-2009Q3

| Component | Sample | Stdev. | Sample | Stdev. |
| :--- | :---: | :---: | :---: | :---: |
| GDP | $1954-1980$ | 0.0133 | $1964-1985$ | 0.0121 |
|  | $1981-2008$ | 0.0084 | $1986-2008$ | 0.0083 |
| Private Consumption | $1954-1980$ | 0.0201 | $1964-1985$ | 0.0200 |
| Investment in Machinery and Equ. | $1954-1980$ | 0.0491 | $1964-1985$ | 0.0379 |
|  | $1981-2008$ | 0.0466 | $1986-2008$ | 0.0485 |
| Construction Investment | $1954-1980$ | 0.0457 | $1964-1985$ | 0.0288 |
|  | $1981-2008$ | 0.0325 | $1986-2008$ | 0.0335 |
| Total Exports | $1954-1980$ | 0.0336 | $1964-1985$ | 0.0342 |
|  | $1981-2008$ | 0.0258 | $1986-2008$ | 0.0238 |
| Total Imports | $1954-1980$ | 0.0454 | $1964-1985$ | 0.0391 |
|  | $1981-2008$ | 0.0265 | $1986-2008$ | 0.0273 |

Table 1: Standard deviation of quarter-on-quarter growth rates of GDP and its components

## 3 Model Specifications

### 3.1 Standard Model

I use a structural time series model which is formulated in terms of components that have a direct interpretation. The estimation results of the hyperparameters reveal information about the two characteristics of the cycle, which are in the interest of the paper: its frequency and its amplitude.

Following the commonly used model by Harvey (1989) the seasonally adjusted log GDP series is decomposed into a trend component, a cyclical component and an irregular component in an additive form ${ }^{2}$ :

$$
\begin{equation*}
z_{t}=\mu_{t}+\psi_{t}+\epsilon_{t}, \epsilon_{t} \sim \operatorname{NID}\left(\mathbf{0}, \sigma_{\epsilon}^{2}\right) \tag{1}
\end{equation*}
$$

The components are allowed to evolve stochastically over time. $\mu_{t}$, the trend component, is specified as

$$
\begin{gather*}
\mu_{t}=\mu_{t-1}+\kappa_{t-1}+\eta_{t}, \eta_{t} \sim \operatorname{NID}\left(\mathbf{0}, \sigma_{\eta}^{2}\right),  \tag{2}\\
\kappa_{t}=\kappa_{t-1}+\delta_{t}, \delta_{t} \sim \operatorname{NID}\left(\mathbf{0}, \sigma_{\delta}^{2}\right), \tag{3}
\end{gather*}
$$

with $\kappa_{t}$, the slope of the trend and $\epsilon_{t}, \eta_{t}$ and $\delta_{t}$ mutually uncorrelated, and the cyclical component, $\psi_{t}$ is specified as

$$
\begin{align*}
{\left[\begin{array}{c}
\psi_{t} \\
\psi_{t}^{*}
\end{array}\right]=} & \left\{\rho\left[\begin{array}{cc}
\cos \lambda & \sin \lambda \\
-\sin \lambda & \cos \lambda
\end{array}\right]\right\}\left[\begin{array}{l}
\psi_{t-1} \\
\psi_{t-1}^{*}
\end{array}\right]+\left[\begin{array}{c}
\theta_{t-1} \\
\theta_{t-1}^{*}
\end{array}\right]  \tag{4}\\
& {\left[\begin{array}{c}
\theta_{t-1} \\
\theta_{t-1}^{*}
\end{array}\right] \sim \operatorname{NID}\left[\mathbf{0}, \begin{array}{cc}
\sigma_{\theta}^{2} & 0 \\
0 & \sigma_{\theta}^{2}
\end{array}\right] }
\end{align*}
$$

[^2]where $\rho \in(0,1]$ (the damping factor) and $\lambda \in[0, \pi]$ (the cyclical frequency in radians with $2 \pi / \lambda$ as the period of the cycle) are constants and $E\left(\theta_{t} \theta_{t}^{*}\right)=0$.

Without imposing any restrictions on the variances in equation (2) and (3), the trend component is a random walk with variable drift, which is equivalent to an $\operatorname{ARIMA}(0,2,1)$ process. If $\sigma_{\delta}^{2}=0$ the trend component reduces to a random walk with drift. Furthermore, if $\sigma_{\eta}^{2}=0$ as well, the trend process of the variable reduces to a linear deterministic time trend. If only $\sigma_{\eta}^{2}=0$, the resulting model exhibits a smoothing changing $\mathrm{I}(2)$ trend. The cycle $\psi_{t}$ is modeled as mixture of sine and cosine waves. It can also be represented as ARMA $(2,1)$ process. The auxiliary process $\psi_{t}^{*}$ appears by construction.

Harvey \& Trimbur (2003) further extend the general model given above towards a model with stochastic cycles of higher order. This specification has been found useful in modeling cyclical behaviour of US investment series. The extracted cycle was smoother and more clearly defined, which allows to date turning points more easily. A cycle of order 2 can be written as a stochastic cycle of order 1 - as described in equation (4), with the variance of the disturbance term for the auxiliary process $\psi_{2, t}^{*}$ set to zero instead of $\theta_{t-1}^{*}$ - where the error process itself follows a stochastic cycle:

$$
\begin{align*}
& {\left[\begin{array}{l}
\psi_{2, t} \\
\psi_{2, t}^{*}
\end{array}\right]=\left\{\rho\left[\begin{array}{cc}
\cos \lambda & \sin \lambda \\
-\sin \lambda & \cos \lambda
\end{array}\right]\right\}\left[\begin{array}{l}
\psi_{2, t-1} \\
\psi_{2, t-1}^{*}
\end{array}\right]+\left[\begin{array}{c}
\psi_{1, t} \\
0
\end{array}\right]}  \tag{5}\\
& {\left[\begin{array}{l}
\psi_{1, t} \\
\psi_{1, t}^{*}
\end{array}\right]=\left\{\rho\left[\begin{array}{cc}
\cos \lambda & \sin \lambda \\
-\sin \lambda & \cos \lambda
\end{array}\right]\right\}\left[\begin{array}{l}
\psi_{1, t-1} \\
\psi_{1, t-1}^{*}
\end{array}\right]+\left[\begin{array}{c}
\theta_{t-1} \\
0
\end{array}\right] .}
\end{align*}
$$

The model represented by equations 1-4 and 1-5, respectively, is transformated into statespace form and the hyperparameters $\sigma_{\epsilon}^{2}, \sigma_{\eta}^{2}, \sigma_{\delta}^{2}, \sigma_{\theta}^{2}, \lambda$ and $\rho$ are estimated using maximum likelihood.

### 3.2 Nonlinear Extensions

The model stated above can be extended to allow for breaks in structure and switching regimes. In order to account for a break in the cyclical pattern, first I substitute $\lambda$ in equation (4) and (5) by

$$
\begin{equation*}
\lambda(\tau)=\lambda_{1} I(t \leq \tau)+\lambda_{2} I(t>\tau) \tag{6}
\end{equation*}
$$

where $I(t)$ is an indicator function taking the value one before the break point $\tau$, and zero after the break point $\tau$. $\tau$ is estimated using a grid search over the time variable. Differences between $\lambda_{1}$ and $\lambda_{2}$ imply differences in the cycle length before and after $\tau$.

Second, following the idea by Creal et al. (2008), a break in the variance of the cycle is assessed. According to Harvey (1989), the variance of the cycle is determined by the variance of its error process and the damping factor: $\operatorname{Var}\left(\psi_{t}\right)=\sigma_{\theta}^{2} /\left(1-\rho^{2}\right)$. Thus, I allow for a break in the variance of the error process of the cyclical component $\sigma_{\theta}^{2}$ and replace the parameter in equation (4) and (5) by

$$
\begin{equation*}
\sigma_{\theta}^{2}(\tau)=\sigma_{\theta_{1}}^{2} I(t \leq \tau)+\sigma_{\theta_{2}}^{2} I(t>\tau) \tag{7}
\end{equation*}
$$

## 4 Estimation Results for GDP

### 4.1 Standard Model (Type A)

I first estimate the standard model characterized by equations (1) to (4) for the whole time period 1954Q1-2009Q3 (model 1A) in the time domain. The model with the smooth trend $\left(\sigma_{\eta}^{2}=0\right)$ provides the most accurate fit. The obtained cycle and the dating of its turning points coincide with those of former studies summarized in Scheiblecker (2008). But with an estimated length of 28.5 quarters the duration is longer compared to the mentioned studies, where the average cycle length ranges from 13 to 26 quarters. I further estimate the same model over the shorter time period 1964Q1-2008Q4 (model 2A) because of two reasons: first, the national accounts definition changes between 1954 and 1963 and the time beyond (see section 2), and second, data for 2009 are obtained from an early vintage and are subject to further revisions. The observed peaks and troughs of the obtained cycle again confirm those detected in the studies summarized in Scheiblecker (2008). It deviates from the trend by a maximum of 2.5 percent. The duration of the business cycle is estimated to amount 20.9 quarters. Then model $2 \mathrm{~A}^{2}$ is estimated over the same time sample as model 2A (1964Q12008Q4), imposing stochastic cycles of second order according to equation (5). As expected the cycle is smoother compared to the one obtained by the models 1 A and 2 A and the estimated variance $\operatorname{Var}\left(\psi_{t}\right)$ is smaller. Again, peaks and throuhgs coincide with previous studies. The left column of figure 2 shows the cyclical components extracted by the three linear models. Vertical lines denote peaks (continuous lines) and troughs (dashed lines) previously determined and summarized in Scheiblecker (2008).

In order to assess a possible change in the parameters over the whole sample, the time series is split into two subsamples, with the first covering the period 1964Q1-1979Q4 (model 3A) and the second 1980Q1-2008Q4 (model 4A). The lower coefficient estimate for the frequency parameter $\lambda$ in the second subsample ( 0.22 in model 4A compared to 0.35 in model 3A) supports the idea of a different data generating process in the two samples. The average duration of the cycle is found to be 17.9 quarters in the first sample (model 3A) and increases to 28.5 quarters in the second time period (model 4A). Further, the persistence parameter $\rho$ is lower in the second subsample, suggesting a dampened cyclical volatility. This can also be seen in the estimated variance of the cycle, $\operatorname{Var}\left(\psi_{t}\right)$, which is smaller in model 4A, covering the second subsample. The maximum likelihood estimates of the hyperparmeters of all linear models are summarized in the first lines in table 2.

Goodness of fit of all models is assessed by the estimated prediction error variance of the signal $\sigma^{2}$, the coefficient of determination $R_{D}^{2}$ and the AIC. Further, diagnostic tests concerning autocorrelation, homoscedasticity and normality of the standardized residuals are carried out. According to $R_{D}^{2}$ all models show an improvement in goodness of fit over a random walk plus drift. The assumption of independence is violated for all models apart from model $2 \mathrm{~A}^{2}$ imposing stochastic cycles of second order and model 3A covering only the time span 1964Q1-1979Q4. Homoscedasticity is checked against the $F$-distribution, again not all models fulfill this criterion. Considering normality, a more satisfactory situation is found. All results are summarized in the Appendix, table A.5.

### 4.2 Nonlinear Extensions (Type B and C)

I estimate the model with the nonlinear generalization covered in equation (6) to determine the break point $\tau$ and the two representations of the cycle. First I cover the whole sample period 1954Q1-2009Q3 (model 1B). Second, I consider the shorter time span 1964Q1-2008Q4 (model 2B). The results are similar. I find a break occurring at 1972Q3 (model 1B) and 1974Q3 (model 2B), respectively. Before this point of time, the estimate of the frequency parameter $\lambda_{1}$ is close to zero, which means the cycle follows an $\operatorname{AR}(1)$ process. For the later time period the estimate of $\lambda_{2}$ is 0.24 (model 1 B ) and 0.21 (model 2 B ) corresponding to a cycle length of 26.5 (model 1B) and 29.9 quarters (model 2B). The cycle length of both models seems to be reasonable. As robustness check I further estimate the model imposing stochastic cycles of second order (model $2 \mathrm{~B}^{2}$ ). The breakpoint was found in 1974Q2. Before this point of time the cycle follows an $\operatorname{AR}(1)$ process, too. Later, $\lambda_{2}$ is 0.38 , corresponding to an average cycle length of 16.5 quarters. Looking at the variance of the cycle, $\operatorname{Var}\left(\psi_{t}\right)$, again it is smaller in the model imposing stochastic cycles of second order. With a point in the early 70s in all three models, the break occurred earlier then expected, but the models provide a reasonable fit to the data, concerning the dating of the cycle. Figure 2 (second column) gives a picture of the obtained cycles of $2 \mathrm{~A}, 2 \mathrm{~B}$ and $2 \mathrm{~B}^{2}$. The observed peaks and troughs confirm those detected in the linear model (type A). The results of the estimated parameters are summarized in the middle of table 2 .

In the next stage I allow for a break in the variance of the error process of the cyclical component $\sigma_{\theta}^{2}$ (equation (7)). In the same manner as above, first I cover the whole sample period 1954Q1-2009Q3 (model 1C), second, the shorter time span 1964Q1-2008Q4 (model 2C) and third, I estimate the model imposing stochastic cycles of second order (model $2 \mathrm{C}^{2}$ ). In all three cases estimation results suggest a break in the variance in the mid 80s: 1985Q2 (model C1), 1982Q2 (model C2) and respectively, 1985Q3 (model 2C ${ }^{2}$ ). In all three cases the results for $\sigma_{\theta_{1}}^{2}$ and $\sigma_{\theta_{2}}^{2}$ confirm the assumption that the variance of the cyclical part decreased after the break point $\tau$ : from 68.5 to 21.2 (model 1C), from 70.1 to 21.7 (model 2 C ) and from 63.2 to 21.5 (model $2 \mathrm{C}^{2}$ ). All parameter results are summarized in the bottom of table 2. Figure 2 (left column) shows a picture of the obtained cycles of the three models $2 \mathrm{C}, 2 \mathrm{C}$ and $2 \mathrm{C}^{2}$. Again, peaks and troughs coincide with those of the other models.

Diagnostic tests of the models of type B and C are summarized in the Appendix, table A.5. Like in the linear case (models type A) there are some problems concerning the assumption of independence.


Figure 2: Cyclical component of GDP, extracted from linear (type A) and nonlinear models (type B and C)

Note: Vertical lines denote peaks (continuous lines) and troughs (dashed lines) previously determined and summarized in Scheiblecker (2008).

|  |  | $\sigma_{\epsilon}^{2}$ | $\sigma_{\delta}^{2}$ | $\rho$ | $\lambda$ | $2 \pi / \lambda$ | $\lambda_{1}$ | $\lambda_{2}$ | $2 \pi / \lambda_{2}$ | $\sigma_{\theta}^{2}$ | $\sigma_{\theta_{1}}^{2}$ | $\sigma_{\theta_{2}}^{2}$ | $\tau$ | $\operatorname{Var}\left(\psi_{t}\right)=\sigma_{\theta}^{2} /\left(1-\rho^{2}\right)$ |
| :--- | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| 1A | 54Q1-09Q3 | $18.9^{*}$ | 0.3 | $0.87^{* *}$ | $0.22^{* *}$ | 28.5 | - | - | - | $60.2^{* *}$ | - | - | - | 0.015 |
| 2A | 64Q2-08Q4 | $23.0^{* *}$ | $0.9^{*}$ | $0.81^{* *}$ | $0.30^{* *}$ | 20.9 | - | - | - | $40.1^{* *}$ | - | - | - |  |
| 2A $^{2}$ | 64Q2-08Q4 | $26.9^{* *}$ | $0.9^{*}$ | $0.71^{* *}$ | $0.26^{*}$ | 24.4 | - | - | - | $24.0^{* *}$ | - | - | - | 0.005 |
| 3A | 64Q1-79Q4 | $45.4^{* *}$ | 2.2 | $0.84^{* *}$ | $0.35^{* *}$ | 17.9 | - | - | - | 33.2 | - | - | - | 0.001 |
| 4A | 80Q1-08Q4 | 0.0 | $2.8^{* *}$ | $0.80^{* *}$ | $0.22^{* *}$ | 28.5 | - | - | - | $30.0^{* *}$ | - | - | - | 0.004 |
| 1B | 54Q1-09Q3 | $20.9^{* *}$ | 0.3 | $0.88^{* *}$ | - | - | 0.0 | $0.24^{* *}$ | 26.5 | $57.1^{* *}$ | - | - | 72 Q 3 | 0.002 |
| 2B | 64Q1-08Q4 | $24.6^{* *}$ | $0.7^{*}$ | $0.81^{* *}$ | - | - | 0.0 | $0.21^{* *}$ | 29.9 | $38.4^{* *}$ | - | - | 74 Q 3 | 0.014 |
| 2B | 64Q1-08Q4 | $25.6^{* *}$ | $1.0^{*}$ | $0.73^{* *}$ | - | - | 0.0 | $0.38^{* *}$ | 16.5 | $2.2^{* *}$ | - | - | 74 Q 2 | 0.004 |
| 1C | 54Q1-09Q3 | 0.0 | $1.9^{* *}$ | $0.82^{* *}$ | $0.27^{* *}$ | 23.6 | - | - | - | - | $68.5^{* *}$ | $21.2^{* *}$ | 85 Q 2 | 0.001 |
| 2C | 64Q1-08Q4 | 0.0 | $1.9^{* *}$ | $0.85^{* *}$ | $0.25^{* *}$ | 24.7 | - | - | - | - | $70.1^{* *}$ | $21.7^{* *}$ | 82 Q 2 | - |
| 2C ${ }^{2}$ | 64Q1-08Q4 | 0.0 | $1.1^{* *}$ | $0.62^{* *}$ | $0.25^{* *}$ | 24.8 | - | - | - | - | $63.2^{* *}$ | $21.5^{* *}$ | 85 Q 3 | - |

[^3]
## 5 Estimation Results for GDP Components

This section examines the cyclical behavior of the following GDP components: private consumption, investment in machinery and equipment, construction investment, total exports and total imports. As documented already in table 1, a decline in the standard deviation of the growth rates over time is found, with a break-point a priori fixed in the 1980s.

To determine the time of the change in the cyclical behaviour, like in the case of GDP, nonlinear extensions of the standard structural components model with a break in $\lambda$ (model 2B) and a break in the variance of the error process of the cyclical component $\sigma_{\theta}^{2}$, respectively (model 2C) are estimated. First, the standard model (model 2A) is estimated. By observing the duration of the cycles of the GDP components the following pattern was observed: while the average duration of the business cycle in private consumption and imports are similar to the one of GDP, the average investment and export cycles are found to be longer. Using quarterly data for GDP components for 1964-1992, similar results for Austria were observed by Hahn \& Walterskirchen (1992). All parameter results can be found in table 3.

Estimating model 2B (with a break in the frequency parameter $\lambda$ ) for all observed time series apart from private consumption, the break was found in 1974Q2 or 1974Q3. In the successive quarters, the estimate of $\lambda_{2}$ is smaller compared to estimate of $\lambda$ in the standard model (model 2A). This means a longer duration of the cycle after 1974. Before 1974, the estimate of the frequency parameter $\lambda_{1}$ is close to zero and the cycle follows an $\operatorname{AR}(1)$ process. For the series of private consumption the break in $\lambda$ was found to be only in 2004. Considering model 2 C (with a break in $\sigma_{\theta}^{2}$ ), for all time series a reduction in the estimated variance of the error process of the cyclical component $\sigma_{\theta}^{2}$ has been found. To put it in other words, the variance of the cyclical part decreased after the break point. The timing of the break point varies over the components between 1978Q1 and 1995Q4 and apart from private consumption, for all time series it was found to occur after the break in $\lambda$. For total imports the break occurred in 1978Q1, for investment in machinery and equipment in 1982Q2, for total exports in 1986Q1, for construction investment in 1993Q3 and private consumption in 1995Q4, respectively. All parameter results are summarized in table 3, diagnostic tests are shown in the Appendix, table A.6. The obtained cycles of the models can be found in figure 3. The left column shows the cycles obtained from standard model (2A), the middle column those obtained from the model with a break in the frequency parameter $\lambda(2 \mathrm{~B})$ and the right column those obtained from the model with a break in $\sigma_{\theta}^{2}(2 \mathrm{C})$.

|  | $\sigma_{\epsilon}^{2}$ | $\sigma_{\delta}^{2}$ | $\rho$ | $\lambda$ | $2 \pi / \lambda$ | $\lambda_{1}$ | $2 \pi / \lambda_{1}$ | $\lambda_{2}$ | $2 \pi / \lambda_{2}$ | $\sigma_{\theta}^{2}$ | $\sigma_{\theta_{1}}^{2}$ | $\sigma_{\theta_{2}}^{2}$ | $\tau$ |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| 2A private consumption | 0.0 | 2.9 ** | $0.82^{* *}$ | $0.32^{* *}$ | 19.5 | - | - | - | - | 3.8** | - | - | - |
| 2 B private consumption | 0.0 | 0.1 ** | 0.79** | - | - | $0.45 *$ | 14.0 | -0.08 | - | $7.4^{* *}$ | - | - | 04Q2 |
| 2 C private consumption | 0.0 | $1.6{ }^{* *}$ | 0.77 | 0.32 | 19.5 | - | - | - | - | - | 5.0** | $3.0^{* *}$ | 95Q4 |
| 2 A construction investment | 22.9 ** | 0.6 ** | 0.82 | $\underline{0.17}$ | 37.0 | - | - | - | - | 28.4** | - | - | - |
| 2 B construction investment | 26.1** | 0.6 ** | 0.82** | - | - | 0.00 | - | 0.18 | 34.9 | 23.2 * | - | - | 74Q3 |
| 2 C construction investment | $21.3^{* *}$ | 0.5* | $0.82^{* *}$ | 0.17 | 37.0 | - | - | - | - | - | $38.8{ }^{* *}$ | 15.0 | 93Q3 |
| 2 A investment in m. and e. | 86.1** | 0.1 | 0.95** | 0.19 ** | 32.7 | - | - | - | - | 39.4* | - | - | - |
| 2 B investment in m. and e. | 61.7** | 0.1 | 0.84** | - | - | 0.00 | - | 0.13* | 48.3 | 86.1** | - | - | 74Q2 |
| 2 C investment in m . and e. | 90.4** | 0.0 | 0.94** | 0.19 | 33.1 | - | - | - | - | - | 59.9** | 24.9 ** | 82Q1 |
| 2 A total exports | 17.7 ** | 0.1 | 0.90** | 0.17 | 37.7 | - | - | - | - | 40.1** | - | - | - |
| 2 B total exports | 18.0 ** | 0.0 | 0.91** | - | - | 0.00 | - | $0.18{ }^{* *}$ | 34.9 | $39.6{ }^{* *}$ | - | - | 74Q3 |
| 2C total exports | 8.1 | 0.2 | 0.89** | 0.17 | 37.7 | - | - | - | - | - | 80.3** | $32.5{ }^{* *}$ | 86Q1 |
| 2 A total imports | 29.0** | 0.2 | 0.89** | 0.24 ** | 25.8 | - | - | - | - | $38.2{ }^{* *}$ | - | - | - |
| 2B total imports | 29.1 ** | 0.3 | 0.83 ** | - | - | 0.00 | - | $0.27^{* *}$ | 22.7 | - | - | - | 74Q3 |
| 2 C total imports | 15.0 ** | 0.2* | 0.87** | 0.24 | 26.2 | - | - | - | - | - | 127.2 ** | 30.3 ** | 78Q1 |

Table 3: Estimation results of the structural time series models, GDP components, 64Q2-08Q4

The model type A is the linear model, B indicates the nonlinear model with a break in $\lambda, \mathrm{C}$ indicates the model with a break in $\sigma_{\theta}^{2}$.


Figure 3: Cyclical component of GDP components, extracted from linear (type A) and nonlinear models (type B and C)

## 6 Does the Forecast Performance improve using Nonlinear Models?

In this section I evaluate whether the nonlinear models ( $1 \mathrm{~B}, 1 \mathrm{C}, 2 \mathrm{~B}, 2 \mathrm{C}, 2 \mathrm{~B}^{2}$ and $2 \mathrm{C}^{2}$ ) help to improve GDP predictions compared to the standard models ( 1 A and 2 A ). Therefore, I first estimate the models as specified above for the sample up to 1997Q1 (pre-forecast period). Based on these models, a $k$-step ahead forecast is carried out. As the interest lies in short-term forecasting, $k=1 \ldots 8$ (e.g. if $k=8: 1997 Q 2-1999$ Q1). Following, the pre-forecast period is extended for one period (up to 1997Q2). I estimate the model and carry out a $k$-step ahead forecast (e.g. if $k=8$ : 1997Q3-1999Q2) again. This procedure is repeated for 40 times, at the end yielding the out-of-sample period 2007Q1-2008Q4 (if $k=8$ ). The whole out-of-sample period 1997Q2-2008Q4 is chosen to include two full cycles. For all 40 forecasts, each of the $k$-step ahead forecasts is evaluated by calculating the root mean squared forecasting error RMSFE:

$$
\begin{equation*}
\operatorname{RMSFE}\left(y_{t+k}\right)=\sqrt{\sum_{i=1}^{N-1} \frac{\left(y_{t+k}^{f}-y_{t+k}\right)^{2}}{N}}, \tag{8}
\end{equation*}
$$

where $k=1 \ldots 8$ are the forecast steps, $N=40$ and $y_{t+k}^{f}$ denotes the k-step ahead forecast of $y_{t}$. I further calculate the $R M S F E$ of the linear models ( 1 A and 2 A ) and compare them with the results from the nonlinear models $\left(1 \mathrm{~B}, 1 \mathrm{C}, 2 \mathrm{~B}, 2 \mathrm{C}, 2 \mathrm{~B}^{2}\right.$ and $\left.2 \mathrm{C}^{2}\right)$. Considering the time series starting in 1954 Q 1 and comparing the models 1 B and 1 C with 1 A , for all 8 -forecast steps, the forecast based on the linear model (1A) gives a lower RMSFE. The same result can be found when the sample starts in 1964Q1. The RMSFE of the forecast using model 2 A is always smaller compared to forecast based on the models $2 \mathrm{~B} 2 \mathrm{~B}^{2}, 2 \mathrm{C}$ and $2 \mathrm{C}^{2}$. These results can be seen in the first eight lines in table 4.

In the next step I observe if this result is still true for certain subperiods in the above mentioned out-of-sample period. Therefore the out-of-sample period 1997Q2-2008Q4 is split into three subsamples characterized by an upswing phase (1997Q3-2000Q3), a downswing phase (2000Q4-2003Q3) and an upswing phase (2005Q3-2008Q3) again. During the two upswing phases certain step ahead forecasts using the nonlinear models give a smaller RMSFE compared to the linear models. In the out-of-sample period 1997Q3-2000Q3, this is the case for model 1C, 2B, 2C, $2 \mathrm{~B}^{2}$ and $2 \mathrm{C}^{2}$. Moreover, in the out-of-sample period 2005Q3-2008Q3 most of the forecast steps give smaller $R M S F E$ s using the nonlinear models compared to use of their linear counterparts. In those cases where the RMSFEs are smaller from forecast of the nonlinear models ( $1 \mathrm{~B}, 1 \mathrm{C}, 2 \mathrm{~B}, 2 \mathrm{C}, 2 \mathrm{~B}^{2}$ and $2 \mathrm{C}^{2}$ ) than of the linear models ( 1 A and 2 A ) the numbers are marked bold in table 4. Considering the out-of-sample period 2000Q4-2003Q3 (downswing phase), using the nonlinear models 1 B and 1C can improve the forecast efficiency compared to the use the linear model 1 A , too. Again, this is indicated by the bold numbers in table 4. Although we can not find a general evidence that using nonlinear models help to improve forecasting GDP, in certain stances of the business cycle (an upswing or downswing phase) they may yield a better forecast performance in certain cases. Further it can not be observed from this analysis that one of the nonlinear models (type B versus type C) always yields a better forecast performance than the other one.
Out-of-sample period 2000Q4-2003Q3

|  | 0.01040 | 0.00894 | 0.01067 | 0.01269 | 0.01236 | $\mathbf{0 . 0 0 8 9 3}$ | $\mathbf{0 . 0 0 9 3 6}$ |
| :--- | :--- | :--- | :--- | :--- | :--- | :--- | :--- | :--- | :--- |


| 1 -step ahead forecast | 0.01085 | $\mathbf{0 . 0 1 0 4 0}$ | $\mathbf{0 . 0 0 8 9 4}$ | 0.01067 | 0.01269 | 0.01236 | $\mathbf{0 . 0 0 8 9 3}$ | $\mathbf{0 . 0 0 9 3 6}$ |
| :--- | :--- | :--- | :--- | :--- | :--- | :--- | :--- | :--- | :--- | N

0
0
0
0
0
2
0
0
0
0
0 $0.02616 \quad 0.02442$ 0.02616 0.02778
0.03143 $\circ$
$\stackrel{0}{\circ}$
$\stackrel{0}{\circ}$

0 \begin{tabular}{lll|lllll}
0.04090 \& 0.04145 \& $\mathbf{0 . 0 4 0 3 8}$ \& 0.03860 \& 0.04621 \& 0.04957 \& 0.04031 \& 0.04460

 

1-step ahead forecast \& 0.00597 \& $\mathbf{0 . 0 0 5 7 8}$ \& 0.00603 \& 0.00599 \& 0.00613 \& $\mathbf{0 . 0 0 5 2 7}$ \& 0.00609 \& 0.00601
\end{tabular} $\begin{array}{lllll}0.01013 & 0.01053 & \mathbf{0 . 0 0 8 7 6} & \mathbf{0 . 0 0 7 3 4} & \mathbf{0 . 0 0 8 1 0}\end{array}$ $\begin{array}{lllll}0.01372 & 0.01419 & \mathbf{0 . 0 1 1 0 9} & \mathbf{0 . 0 1 0 9 8} & \mathbf{0 . 0 1 1 7 2}\end{array}$ $\begin{array}{llllll}0.01649 & 0.01726 & \mathbf{0 . 0 1 3 1 1} & \mathbf{0 . 0 1 2 3 4} & \mathbf{0 . 0 1 3 5 8}\end{array}$ $\begin{array}{lllll}0.01963 & 0.02058 & \mathbf{0 . 0 1 5 1 4} & \mathbf{0 . 0 1 4 6 2} & \mathbf{0 . 0 1 5 8 0}\end{array}$ $\begin{array}{lllll}0.02390 & 0.02500 & \mathbf{0 . 0 1 8 1 6} & \mathbf{0 . 0 1 6 5 4} & \mathbf{0 . 0 1 8 4 9}\end{array}$ $\begin{array}{llllll}0.02598 & 0.02721 & \mathbf{0 . 0 1 8 8 0} & \mathbf{0 . 0 1 7 6 4} & \mathbf{0 . 0 1 9 7 4}\end{array}$ $\begin{array}{lllll}0.02738 & 0.01799 & 0.01810 & \mathbf{0 . 0 1 9 6 1}\end{array}$ Table 4: $R M S F E$ of the forecasts, GDP The extension ${ }^{2}$ denotes a model with second order stochastic cycles.



## 7 Conclusions

The paper analyses the change in the cyclical behaviour of the Austrian business cycle. Using quarterly data for GDP and its components starting in 1954 (or in 1964 in the case of the GDP components), for all series a break in the average duration of the cycle as well as in the variance of the cycle was observed. Using a nonlinear extension of the standard model Harvey (1989) and Harvey \& Trimbur (2003), results for GDP series suggest that a break in the frequency parameter $\lambda$ occurred in the mid 70 s, while a break in the parameter covering the variance of the disturbances of the cycle was found in the early 80s. To put it in other words, after the mid 70s the duration of the business cycle increased, while after the early 80s the amplitude of the cycle decreased. Using series of GDP components (private consumption, investment in machinery and equipment, construction investment, total exports and total imports) similar results were found, but the timing of the break differs both, among the components, and compared to GDP.

Modeling nonlinearities does not help to improve the forecast performance over the business cycle. But results for GDP suggest, that there are certain stances of the business cycle (during an upswing or a downswing phase) where nonlinear models may yield a better forecast performance than the linear models.

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## A Appendix

|  |  | $\sigma^{2}$ | $R_{D}^{2}$ | AIC | $Q(10)$ | $Q(15)$ | $H(h)$ | $N$ |
| :--- | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| 1A | 54Q1-09Q3 | 0.00012 | 0.143 | -5.783 | - | 16.100 | 1.473 | 9.143 |
| 2A | 64Q2-08Q4 | 0.00011 | 0.006 | -5.765 | - | 16.627 | 2.343 | 7.402 |
| 2A $^{2}$ | 64Q2-08Q4 | 0.00011 | 0.003 | -5.575 | - | 14.314 | 2.268 | 9.902 |
| 3A | 64Q1-79Q4 | 0.00015 | 0.046 | -4.417 | 8.527 | - | 2.592 | 13.688 |
| 4A | 80Q1-08Q4 | 0.00005 | 0.306 | -5.606 | 21.702 | - | 1.340 | 1.147 |
| 1B | 54Q1-09Q3 | 0.00011 | 0.135 | -5.884 | - | 18.651 | 1.559 | 13.744 |
| 2B | 64Q1-08Q4 | 0.00010 | 0.072 | -5.933 | - | 19.419 | 2.545 | 11.400 |
| 2B | 64Q2-08Q4 | 0.00011 | 0.026 | -5.761 | - | 17.729 | 2.312 | 5.757 |
| 1C | 54Q1-09Q3 | 0.00003 | 0.774 | -5.088 | - | 38.086 | 1.757 | 10.792 |
| 2C | 64Q1-08Q4 | 0.00004 | 0.662 | -5.394 | - | 37.578 | 1.047 | 0.285 |
| 2C 2 | 64Q2-08Q4 | 0.00005 | 0.579 | -5.494 | - | 22.929 | 1.013 | 1.454 |

Table A.5: Diagnostic tests of the structural time series models, GDP

Note: The Box-Ljung statistic $Q(P)$, based on the first $P$ autocorrelations, is calculated for $P=10$ and $P=15$. The statistics is compared to the $\chi^{2}$ statistic with $(P+1-$ number of estimated hyperparameters) degrees of freedom. In case of the linear models (type A) $Q(10)$ is tested against $\chi_{6 ; 0.05}^{2}=12.592$ and $Q(15)$ against $\chi_{9 ; 0.05}^{2}=16.919$. In the case of the nonlinear models (type B and C) $Q(15)$ is tested against $\chi_{8 ; 0.05}^{2}=15.507$. Homoscedasticity is checked against the $F$-distribution, which is close to 2 . Normality is tested against the $\chi^{2}$ statistic: $\chi_{5 ; 0.05}^{2}=11.070$ (type A), $\chi_{6 ; 0.05}^{2}=12.592$ (type B and C).

|  | $\sigma^{2}$ | $R_{D}^{2}$ | AIC | $Q(15)$ | $H(h)$ | $N$ |
| :--- | :---: | :---: | :---: | :---: | :---: | :---: |
| 2A private consumption | 0.00011 | 0.493 | -3.653 | 68.063 | 4.059 | 9.074 |
| 2B private consumption | 0.00009 | 0.574 | -4.781 | 49.367 | 3.793 | 7.305 |
| 2C private consumption | 0.00008 | 0.644 | -4.087 | 58.370 | 3.101 | 8.391 |
| 2A construction investment | 0.00082 | 0.039 | -3.800 | 15.610 | 1.447 | 0.901 |
| 2B construction investment | 0.00081 | 0.044 | -3.891 | 15.722 | 1.539 | 0.540 |
| 2C construction investment | 0.00061 | 0.287 | -3.811 | 15.659 | 1.101 | 0.735 |
| 2A investment in m. and e. | 0.00198 | 0.120 | -2.902 | 35.746 | 1.021 | 2.083 |
| 2B investment in m. and e. | 0.00200 | 0.111 | -2.969 | 45.700 | 1.193 | 2.258 |
| 2C investment in m. and e. | 0.00175 | 0.225 | -2.921 | 34.844 | 1.171 | 1.900 |
| 2A total exports | 0.00085 | 0.019 | -3.749 | 10.423 | 1.764 | 24.903 |
| 2B total exports | 0.00084 | 0.031 | -3.812 | 11.147 | 1.719 | 17.563 |
| 2C total exports | 0.00058 | 0.329 | -3.792 | 11.795 | 1.286 | 31.330 |
| 2A total imports | 0.00107 | 0.062 | -3.513 | 22.540 | 3.448 | 14.882 |
| 2B total imports | 0.00106 | 0.067 | -3.625 | 34.575 | 3.270 | 43.009 |
| 2C total imports | 0.00071 | 0.371 | -3.605 | 27.435 | 1.720 | 13.194 |

Table A.6: Diagnostic tests of the structural time series models, GDP components, 64Q2-08Q4


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[^1]:    ${ }^{1}$ All time series were seasonally adjusted using Census X12.

[^2]:    ${ }^{2}$ There is still an ongoing debate of the possibility of the neat separation between business cycles and long-run economic growth. See for example chapter 8 in Aghion \& Howitt (1998).

[^3]:    Table 2: Estimation results of the structural time series models, GDP

    $$
    \text { Note: All variances are multiplied with } 10^{5} \text {. }
    $$

    ** denotes significance at 5 percent level, * denotes significance at 10 percent level.
    The alphabetic character denotes the model characteristics while the number stands for the sample period (1 covers 54Q1-09Q3, 2 covers 64Q1-08Q4, 3 covers 64Q1-79Q4 and 4 covers 80Q1-08Q4.

    The model type A is the linear model, B indicates the nonlinear model with a break in $\lambda, \mathrm{C}$ indicates the model with a break in $\sigma_{\theta}^{2}$. The extension ${ }^{2}$ denotes a model with second order stochastic cycles.

